

Comparison of acoustic NDT for assessment of small stiffness changes during low temperature thermal treatment

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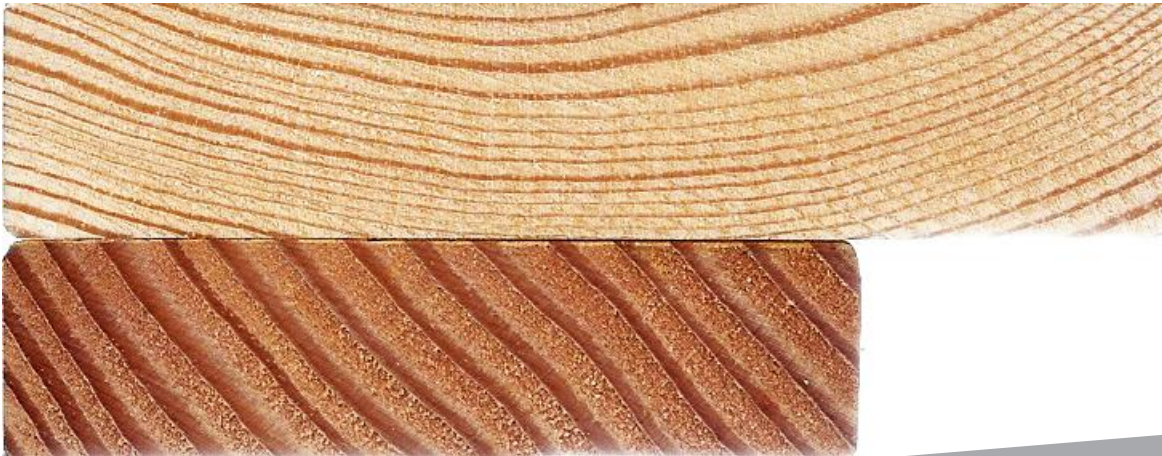
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Outline

- Scots pine and Douglas-fir
- Treated at low temperature (110 C) for several weeks
- Monitoring of longitudinal stiffness (E_{dyn}) and shear modulus (G_{dyn}) changes by non-destructive acoustic methods
- Can we measure these small changes?
- Do the ratios stay the same?

Clear samples of

- Scots pine (*Pinus sylvestris*)
 - 20 x 93 x 300 mm
- Douglas-fir (*Pseudotsuga menziesii*)
 - 18 x 70 x 300 mm



Samples

4 samples of each species cut from the same plank

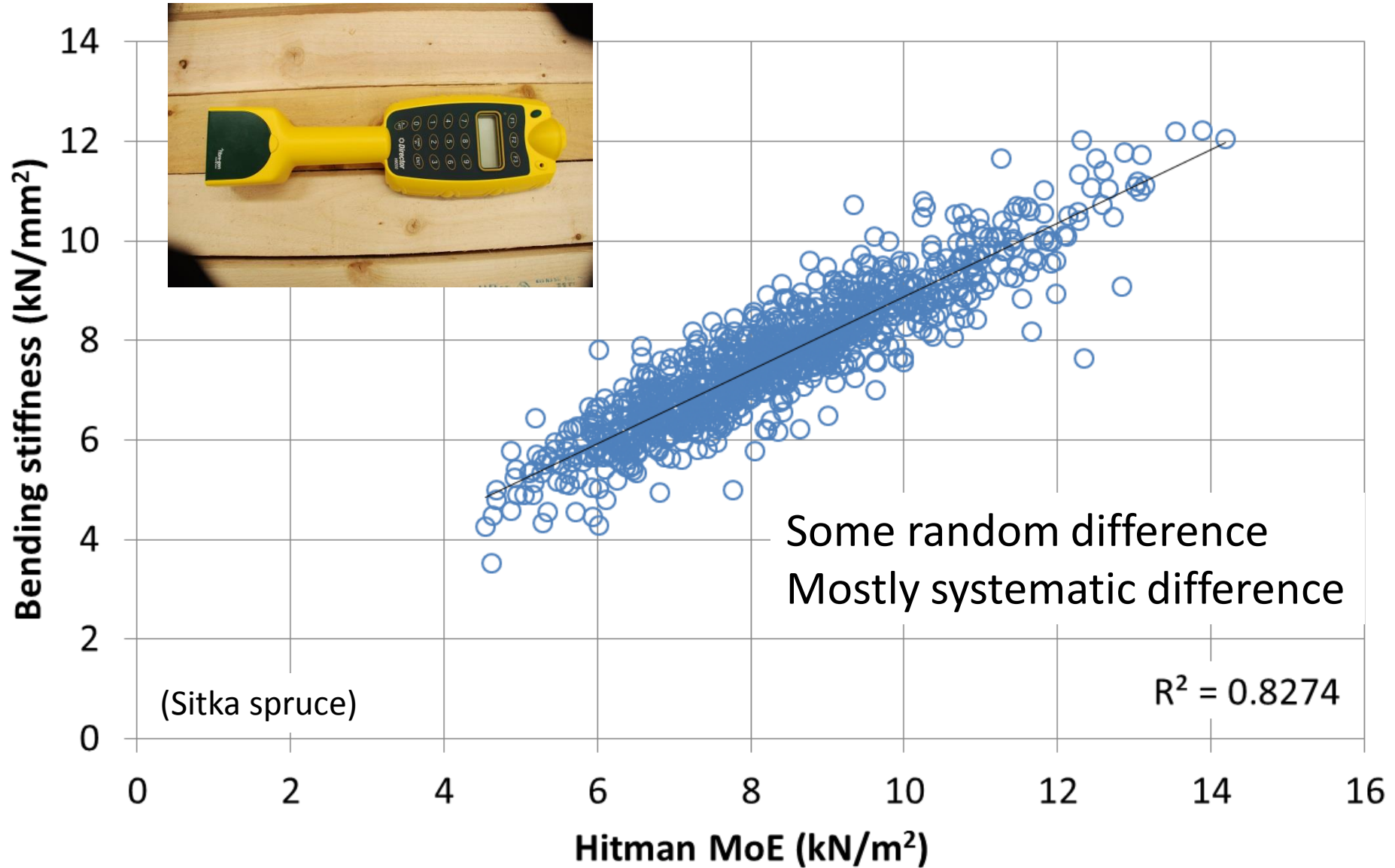


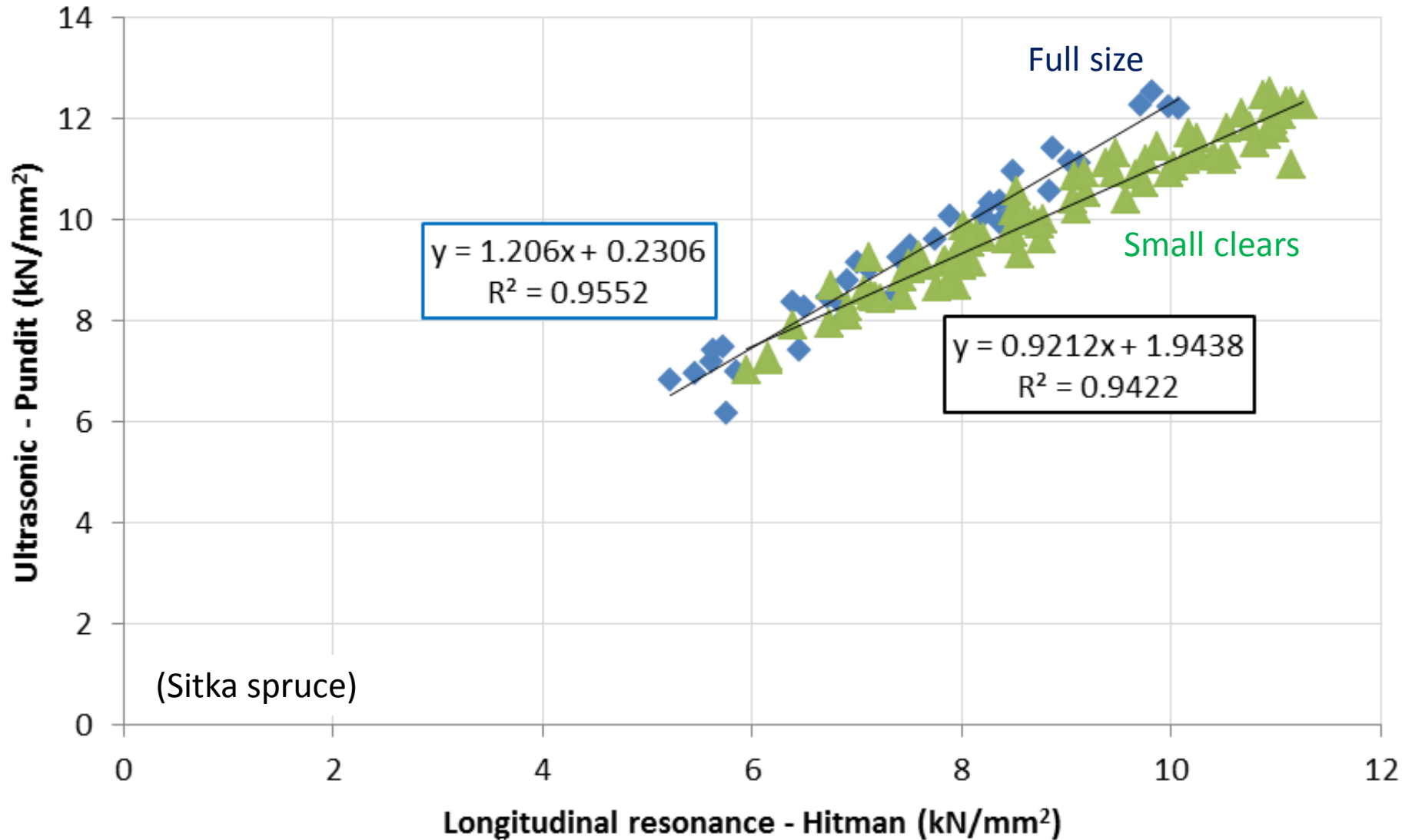
Treatment

- Heated in an oven at 110 ± 2.5 °C
- On a weekly basis (approximately)
 - Dry weight
 - Dimensions
 - Impulse excitation
 - Ultrasonic time of flight
- Total treatment time of 170 days
(Time in oven)

Acoustic techniques

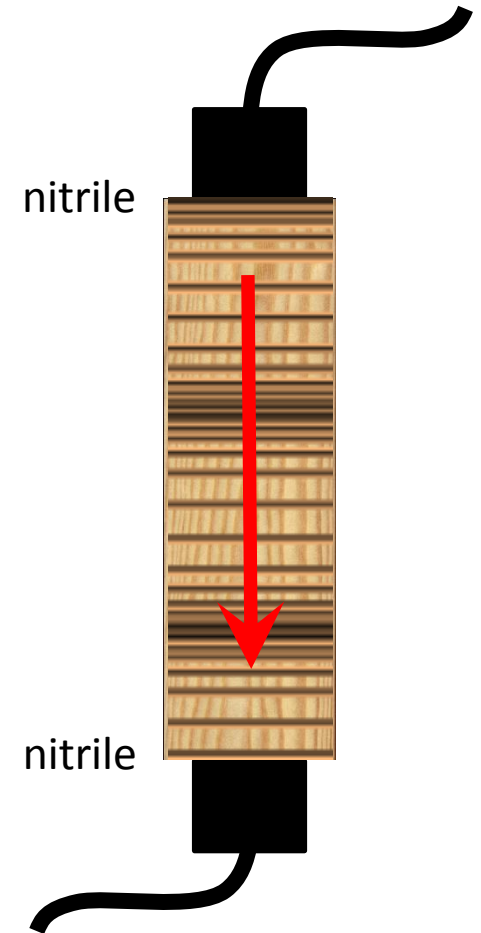
- Well established and commonly used
- But caution!
 - Relationships do vary
 - By technique
 - By moisture condition
 - By growth region
 - Piece to piece
 - Underlying assumptions / simplifications





Ultrasonic time-of-flight

$$E = \rho V^2 = \rho \left(\frac{L}{T} \right)^2$$



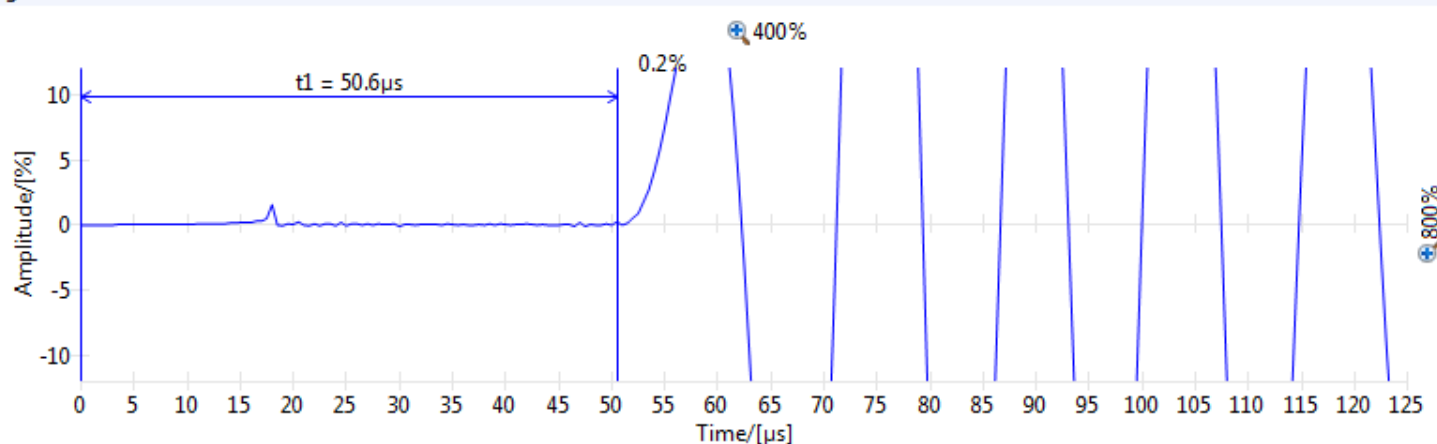
Ultrasonic time-of-flight

$$E = \rho V^2 = \rho \left(\frac{L}{T} \right)^2$$

- 24 kHz
- 54 kHz
- 150 kHz
- 250 kHz

Name	Date & Time	Measurement Type	Velocity	Time 1	Time 2	Distance	Crack Depth	Correction Factor	Temperature	Compressive Strength
	04/03/2012 12:0...	Direct (default)	5909 ...	50.6 μs	0.0 μs	0.299 m	0.000 m	1.00	18.2 °C	--

Signal curve



Settings

Pulse length:	9.3 μs
Probe frequency:	54 kHz
Pulse amplitude:	350V
Rx probe gain:	5x
Calib. time offset:	-6.1 μs
Device name:	Pundit Lab+
Serial number:	PL02-001-0038
Software version:	2.0.5
Hardware index:	B0

Poisson's Ratio + E-Modulus

Density:	0.0 kg/m ³
Velocity 2:	0 m/s
Poisson's Ratio:	0.00
E-Modulus:	0.00 MPa

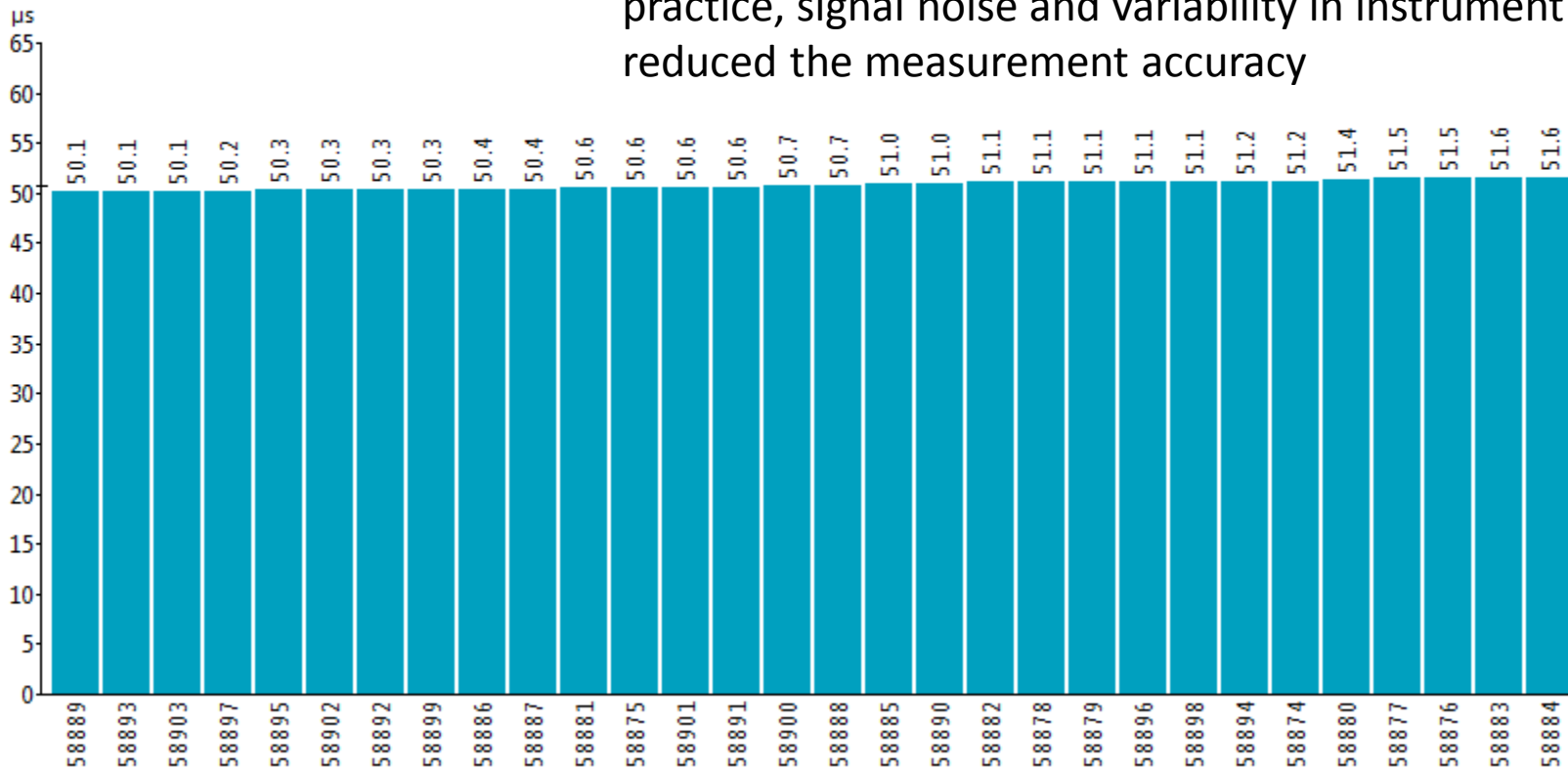
Comment

Ultrasonic time-of-flight

Individual measurements typically ranged $\pm 0.5 \mu\text{s}$ (equating to $\pm 2\%$ in the measurement of E_{dyn}), but by taking an average of 30 measurements this could be reduced to $\pm 0.05 \mu\text{s}$, the precision of the Pundit Lab plus instrument ($\pm 0.2\%$ of E_{dyn}). In practice, signal noise and variability in instrument calibration reduced the measurement accuracy

Summary of measurements

Measurements diagram [Time 1] [sorted by value]





Impulse excitation method

- Recording with a 16 bit 48 kHz USB microphone with 50 Hz to 19 kHz range
- Analysis using Sigview32 2.4.0 software which uses the Kiss FFT library
- Repeated strikes analysed together

The frequency accuracy of the equipment is unknown although a comparison was made between simultaneous sound recordings made with the USB microphone, an Apple iPhone 3GS (mpg4 65kbps) and an Olympus LS-20M digital sound recorder (24-bit, 96 KHz wav at 4608kbps) and, while they differed in frequency range covered, all three gave the same peak frequencies to within the underlying experimental error (equating to $\pm 2\%$ in the measurement of E_{dyn} and G_{dyn})

Aspect ratios

- Scots pine: 20 x 93 x 300 mm 
 - $L/t = 15.0$ (<20: !flexural, !longitudinal)
 - $L/b = 3.22$
 - $b/t = 4.65$ (>2: !longitudinal)
- Douglas-fir: 18 x 70 x 300 mm 
 - $L/t = 16.7$ (<20: !flexural, !longitudinal)
 - $L/b = 4.29$
 - $b/t = 3.89$ (>2: !longitudinal)

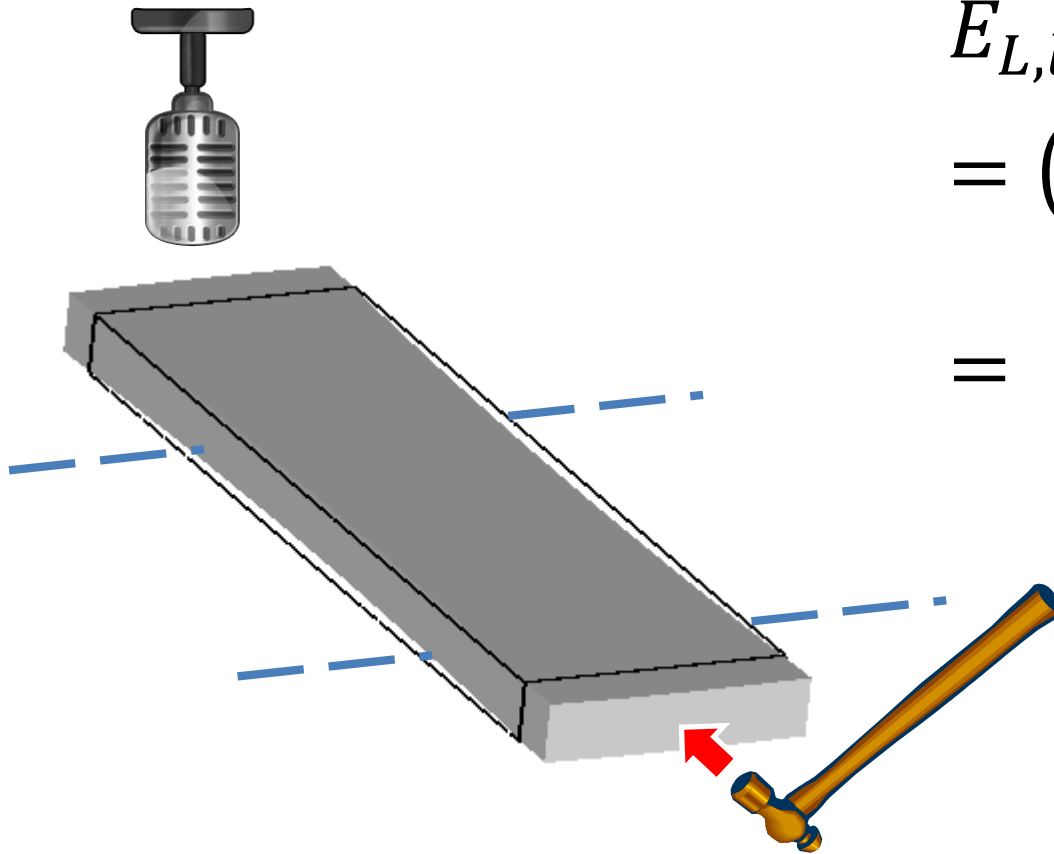
Impulse excitation

EN 843-2 Advanced technical ceramics - Mechanical properties of monolithic ceramics at room temperature - Part 2: Determination of Young's modulus, shear modulus and Poisson's ratio, CEN, 2006

ASTM E1876 Standard Test Method for Dynamic Young's Modulus, Shear Modulus, and Poisson's Ratio by Impulse Excitation of Vibration, ASTM, 2009

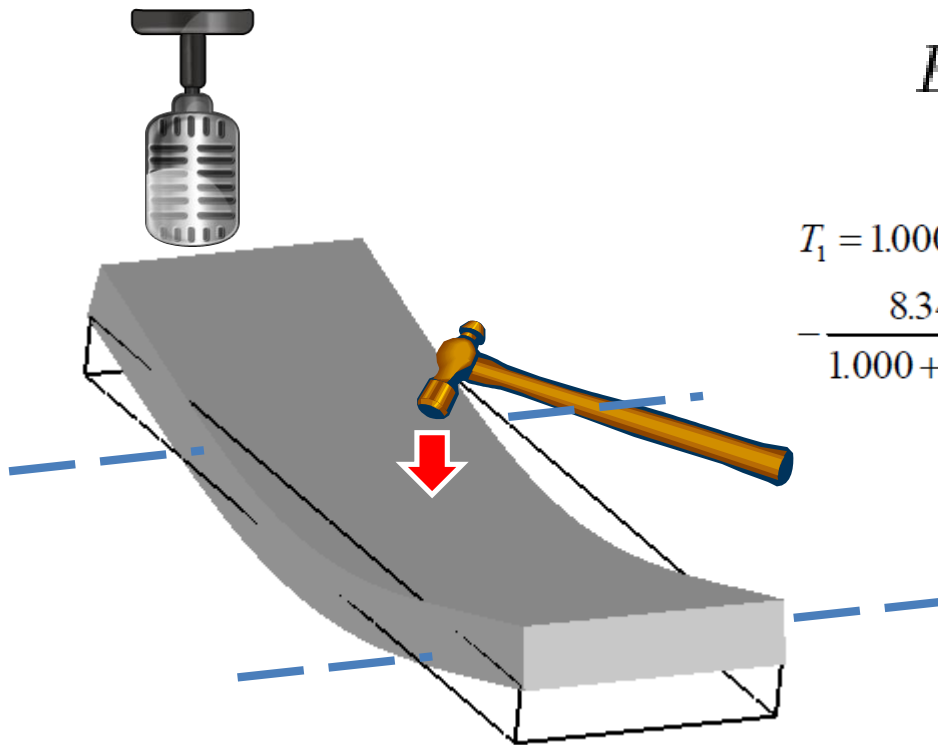


Impulse excitation - longitudinal



$$\begin{aligned}
 E_{L, long, n} &= \rho V_{long, n}^2 \\
 &= (f_{long, n} \times \lambda_{long, n})^2 \\
 &= \left(f_{long, n} \times \frac{2L}{n} \right)^2
 \end{aligned}$$

Impulse excitation - flexural

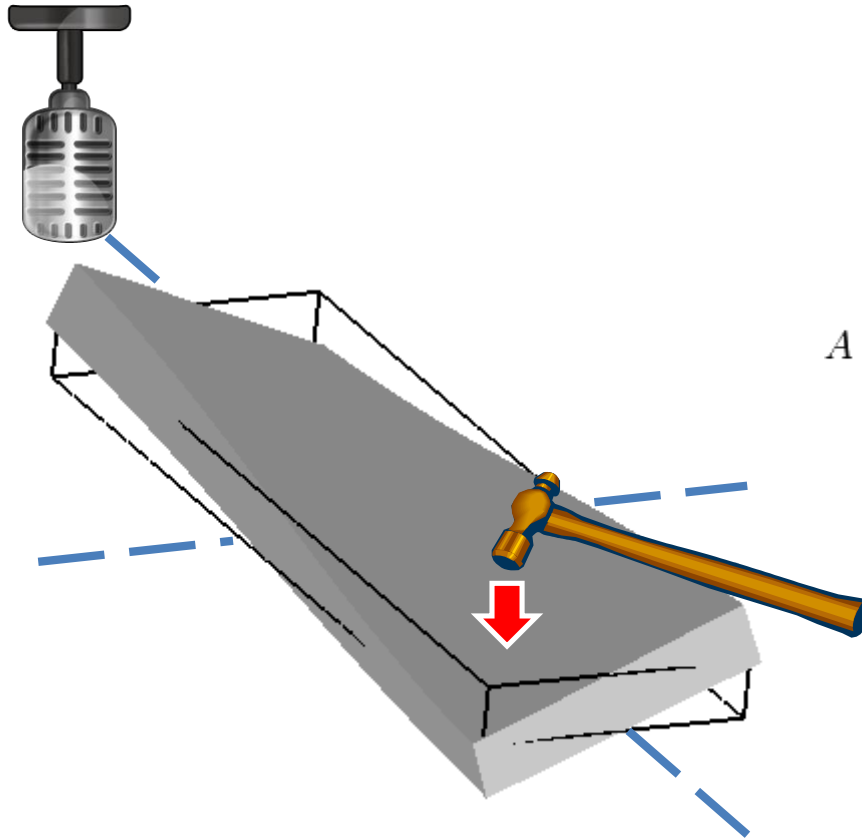


$$E = 0.9465 \left(\frac{m f_f^2}{b} \right) \left(\frac{L^3}{t^3} \right) T$$

$$T_1 = 1.000 + 6.585(1 + 0.0752\mu + 0.8109\mu^2)(t/L)^2 - 0.868(t/L)^4$$

$$\frac{8.340(1 + 0.2023\mu + 2.173\mu^2)(t/L)^4}{1.000 + 6.338(1 + 0.1408\mu + 1.536\mu^2)(t/L)^2}$$

Impulse excitation - torsional



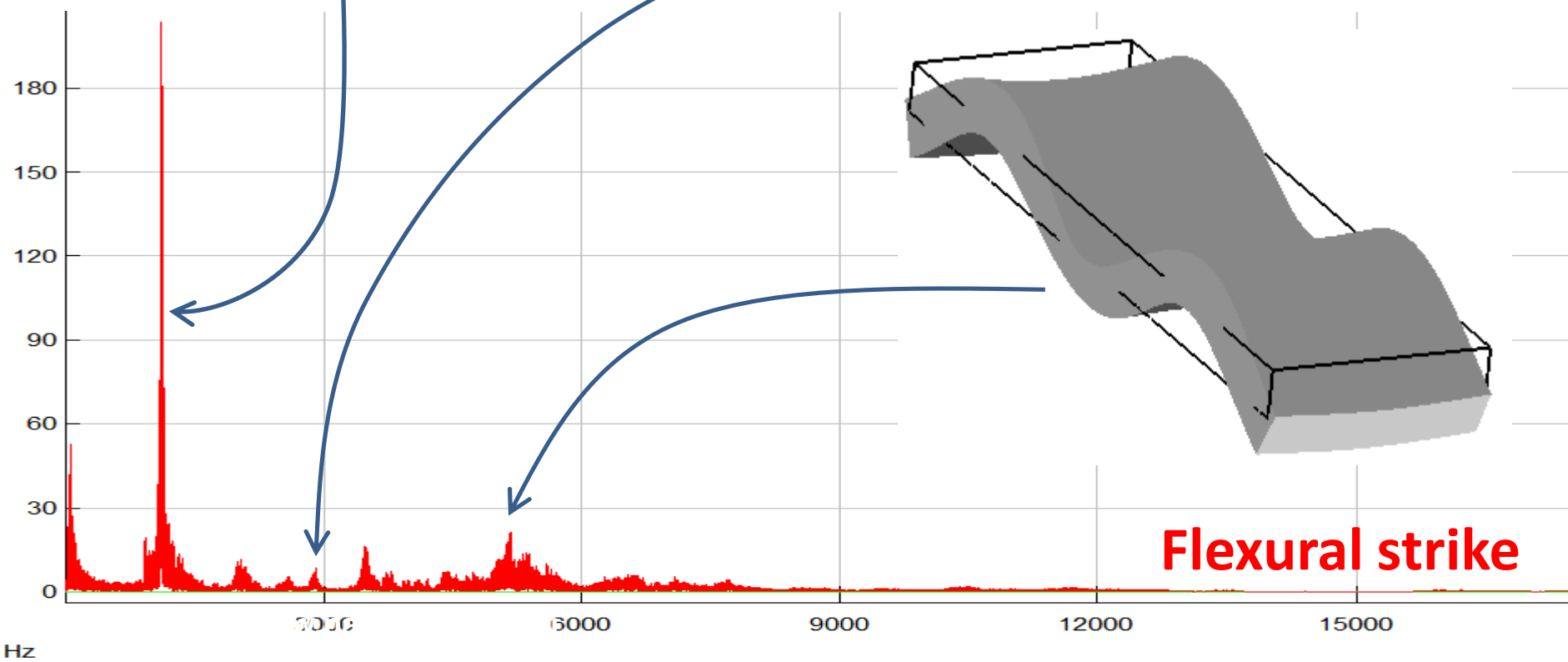
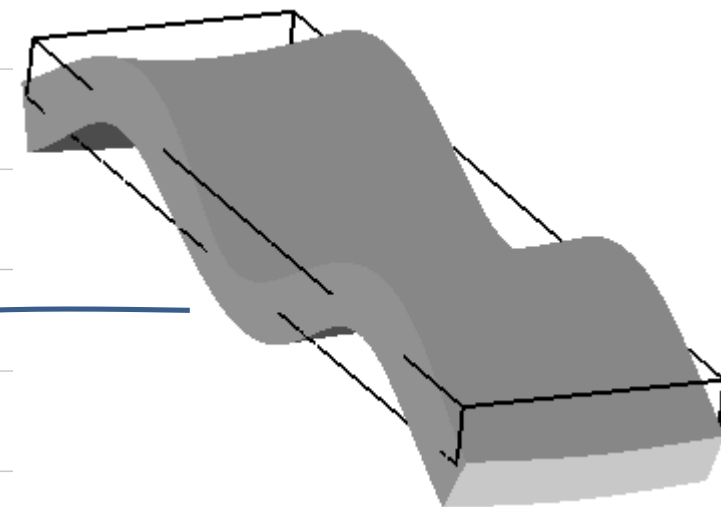
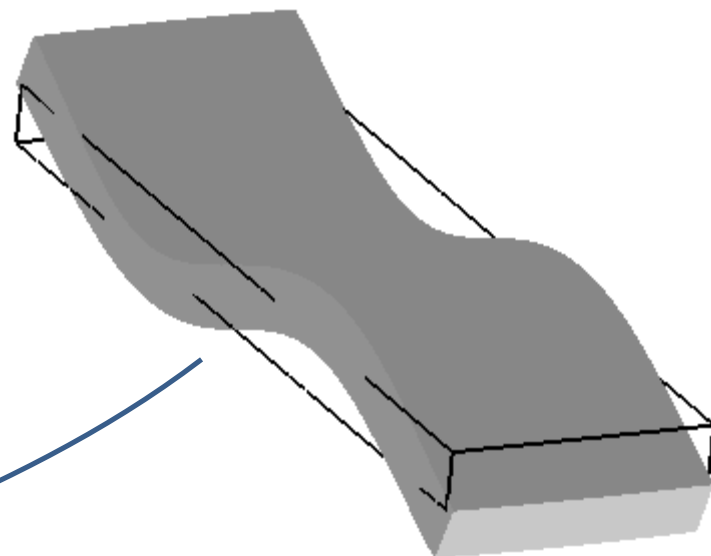
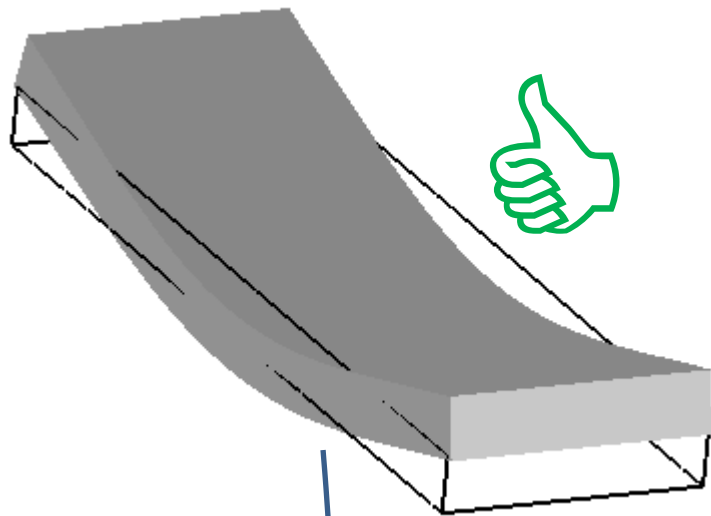
$$G = \frac{4Lmf_t^2}{bt} \left(\frac{B}{1+A} \right)$$

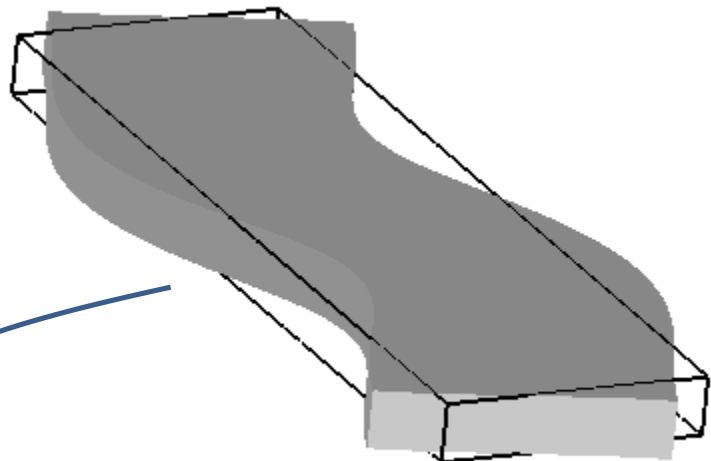
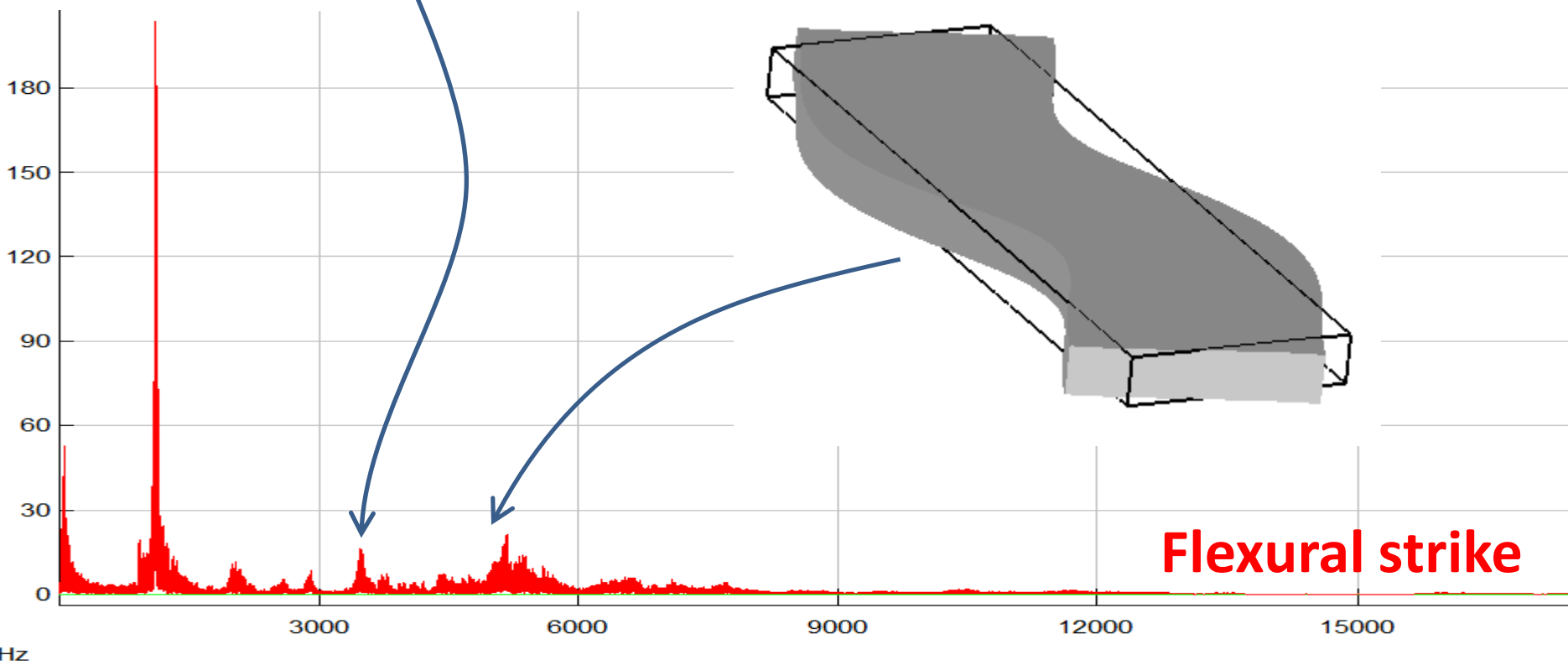
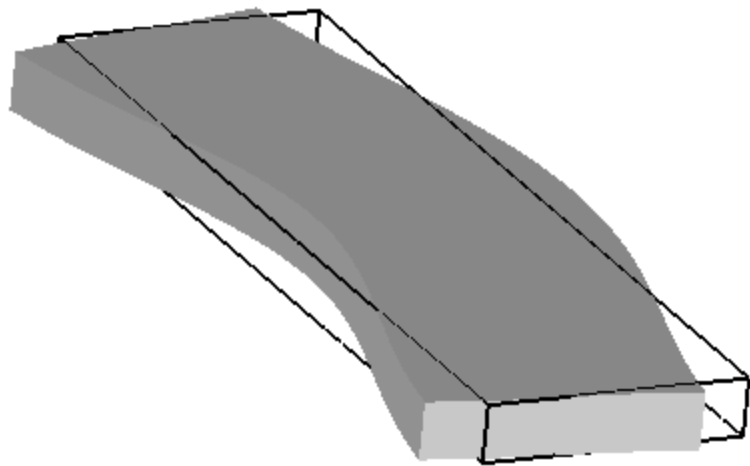
$$A = \left(\frac{0.5062 - 0.8776(b/t) + 0.3504(b/t)^2 - 0.0078(b/t)^3}{12.03(b/t) + 9.892(b/t)^2} \right)$$

$$B = \left(\frac{b/t + t/b}{4(t/b) - 2.52(t/b)^2 + 0.21(t/b)^6} \right)$$

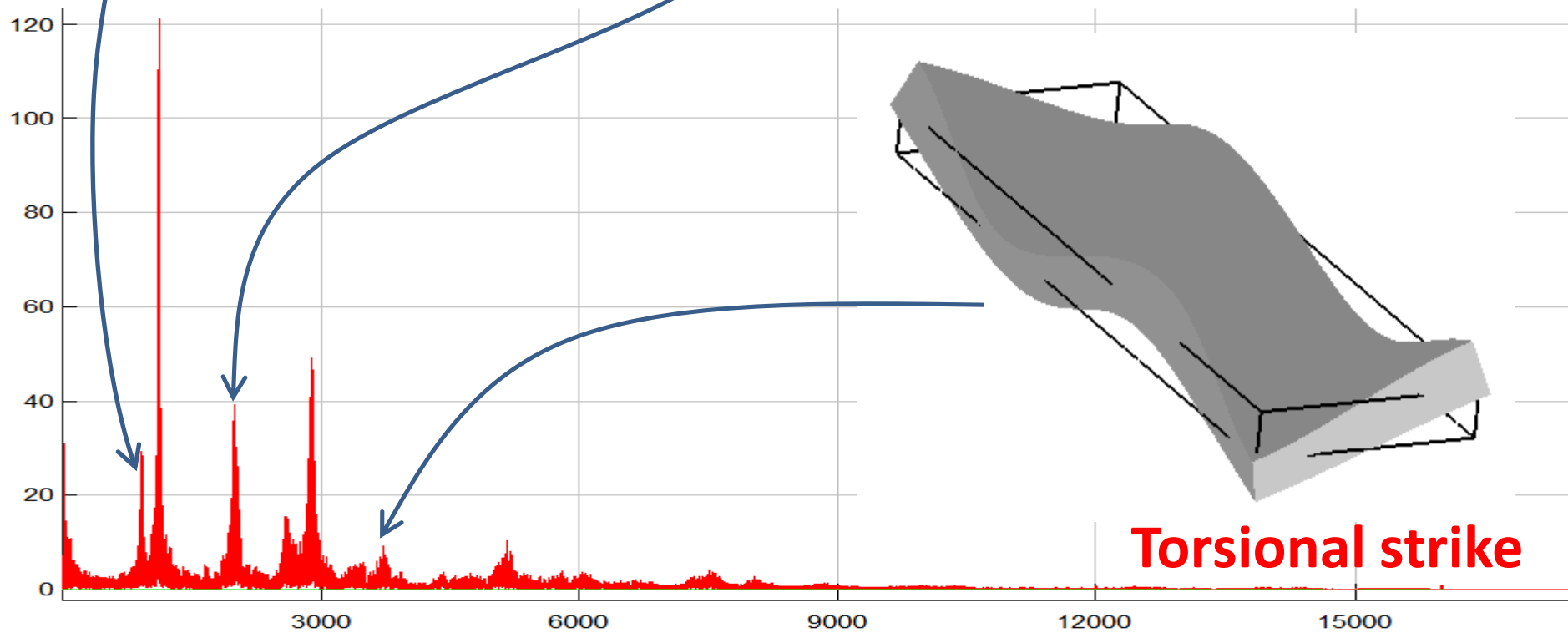
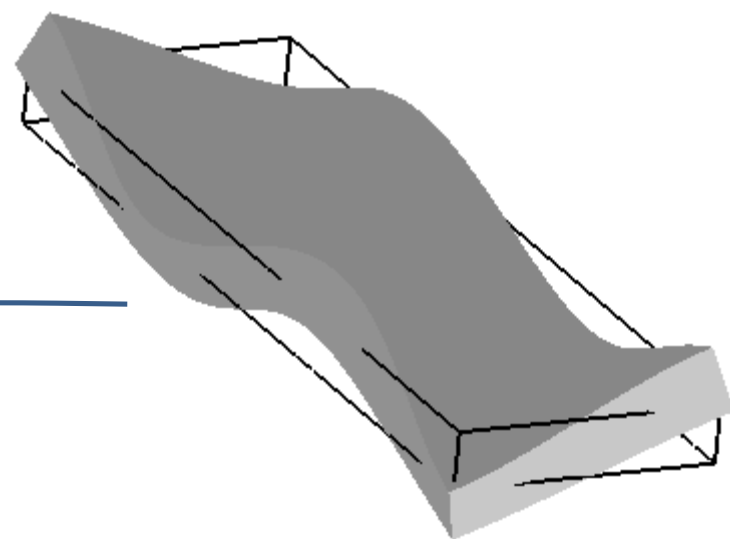
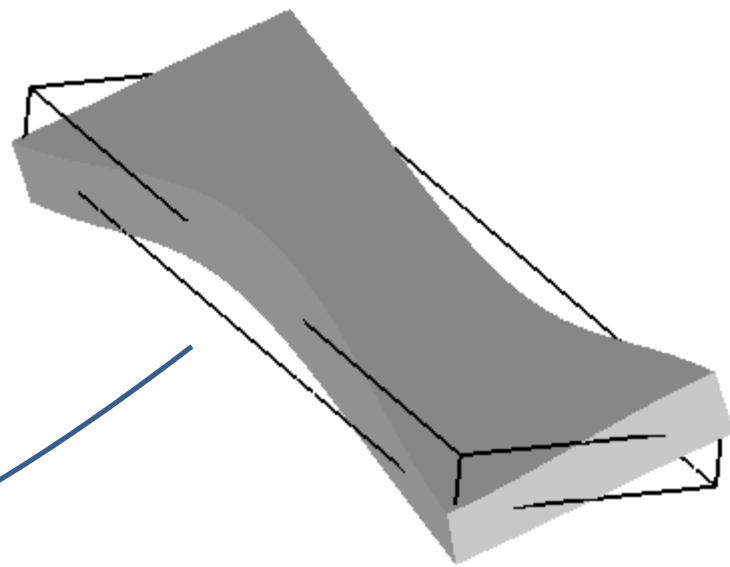
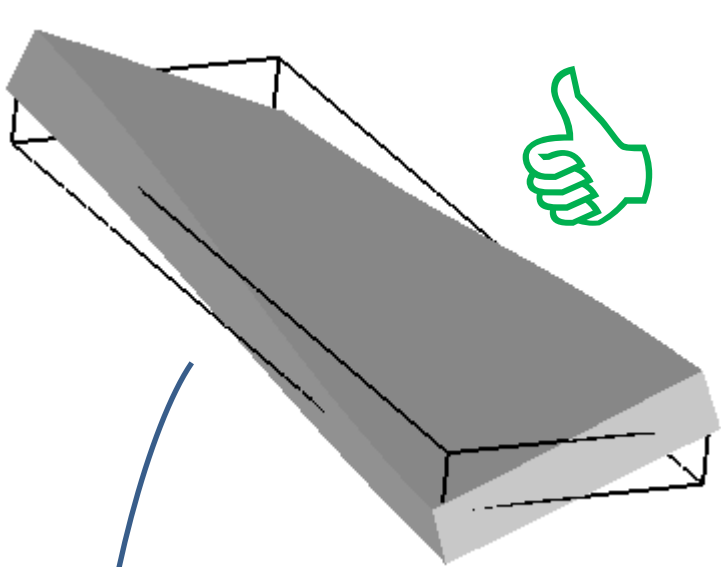
Finite element modelling

- CalculiX for Windows 2.5
- 1600 quadratic solid elements
- (C3D20)
- Confirmation of frequencies for modes and calculation of mechanical properties



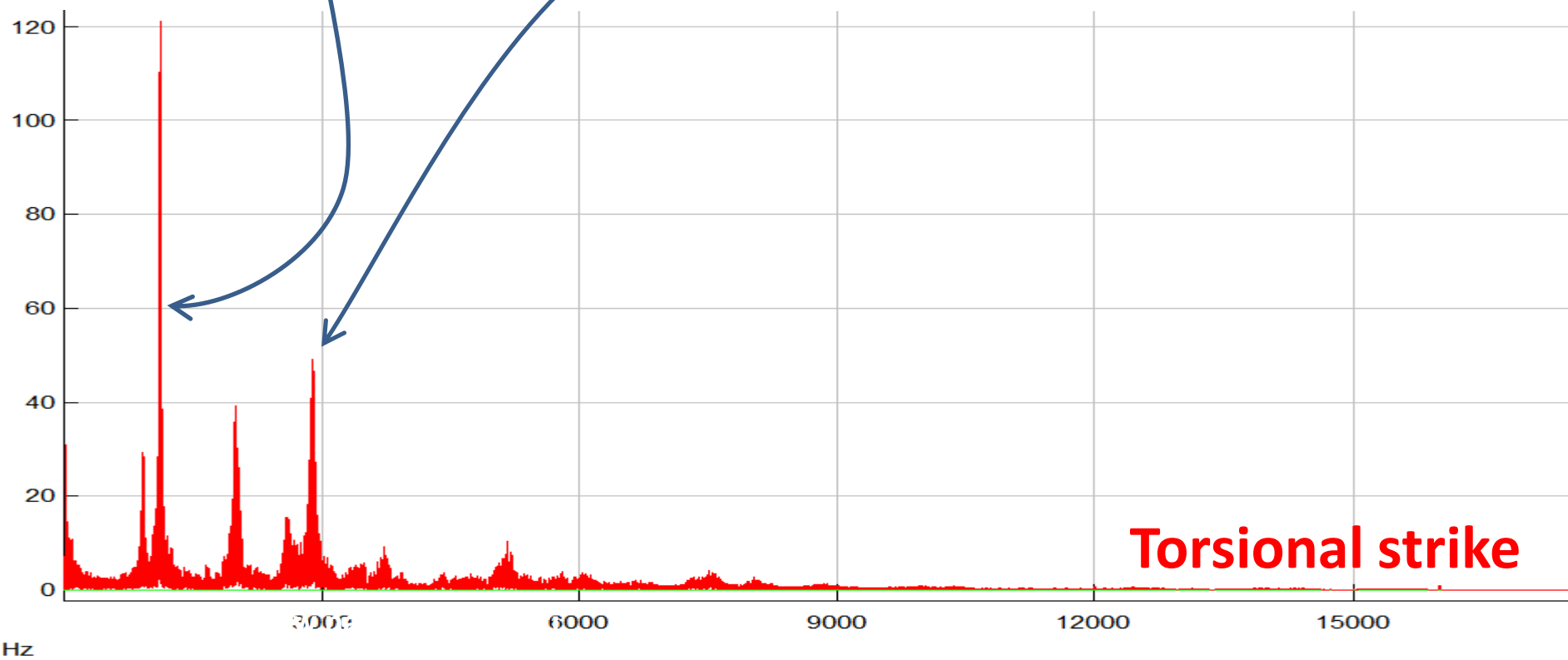
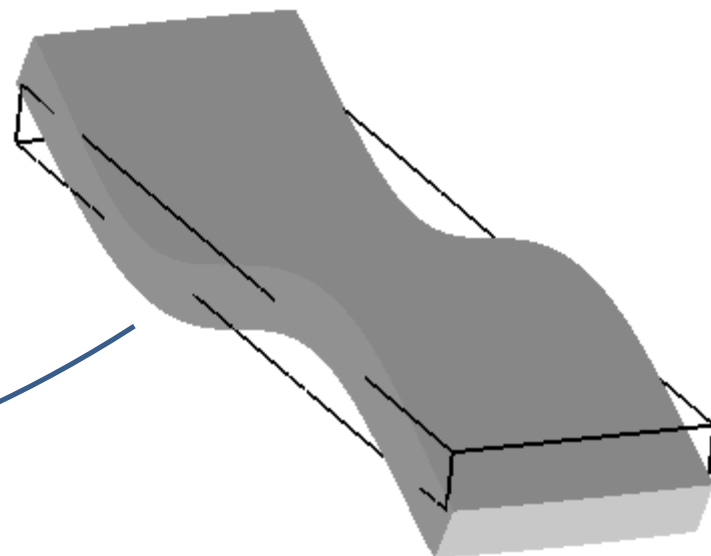
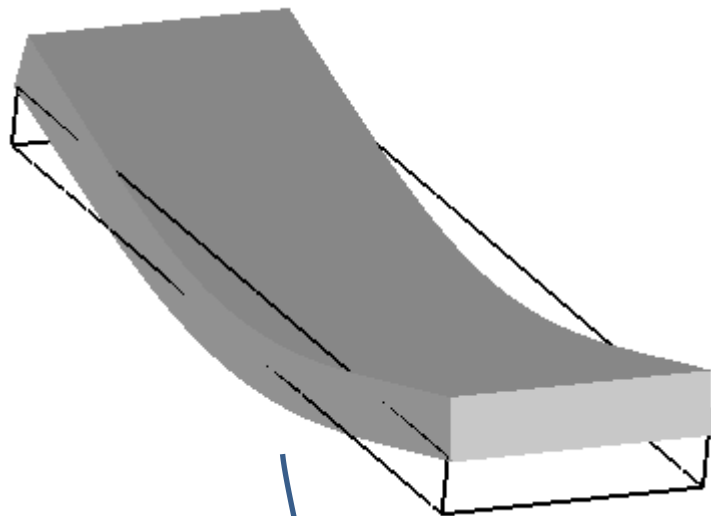


Flexural strike

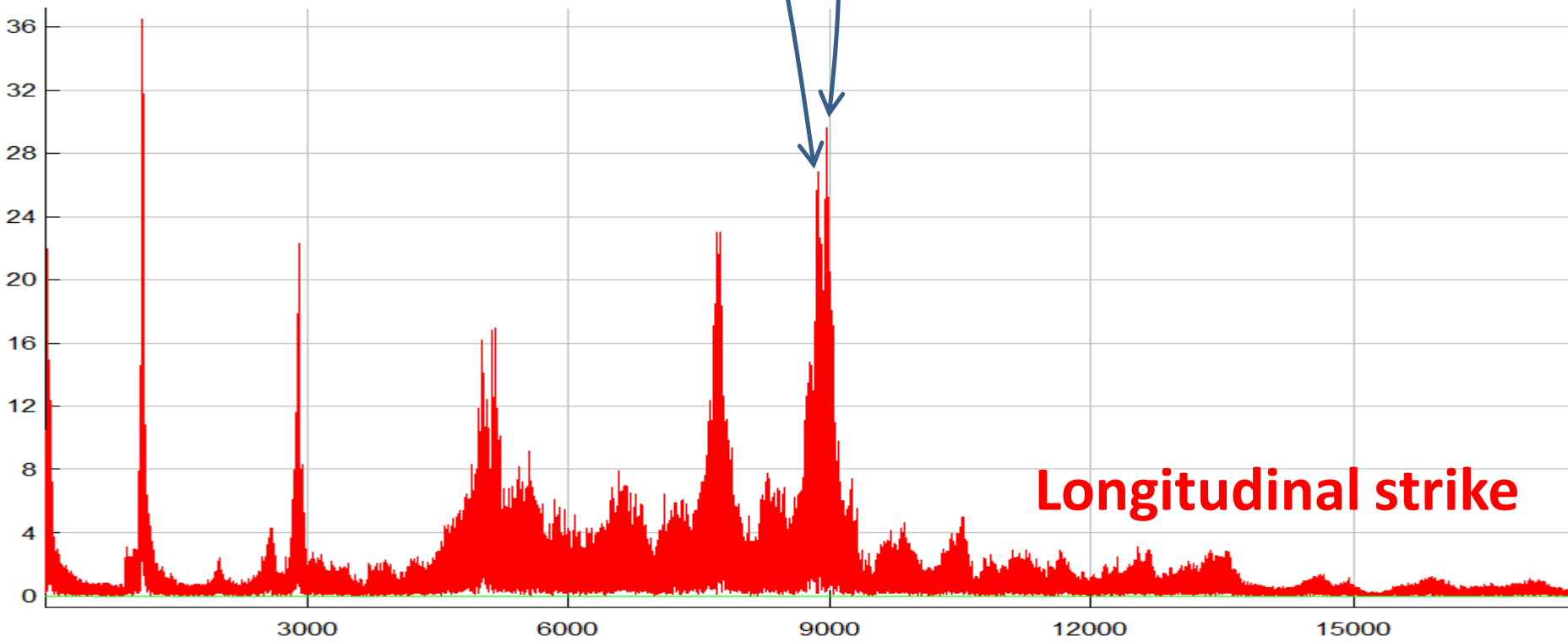
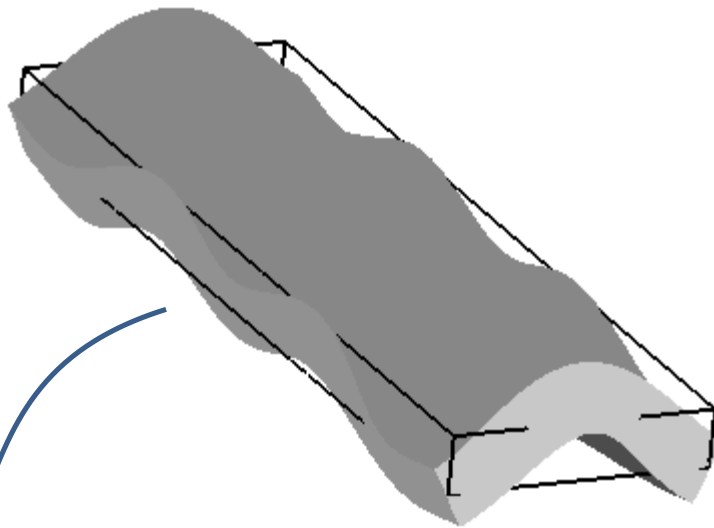
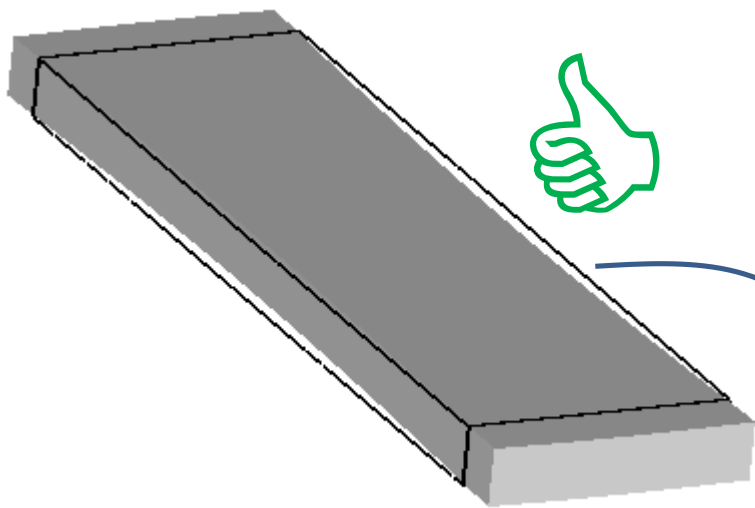


Torsional strike

Hz

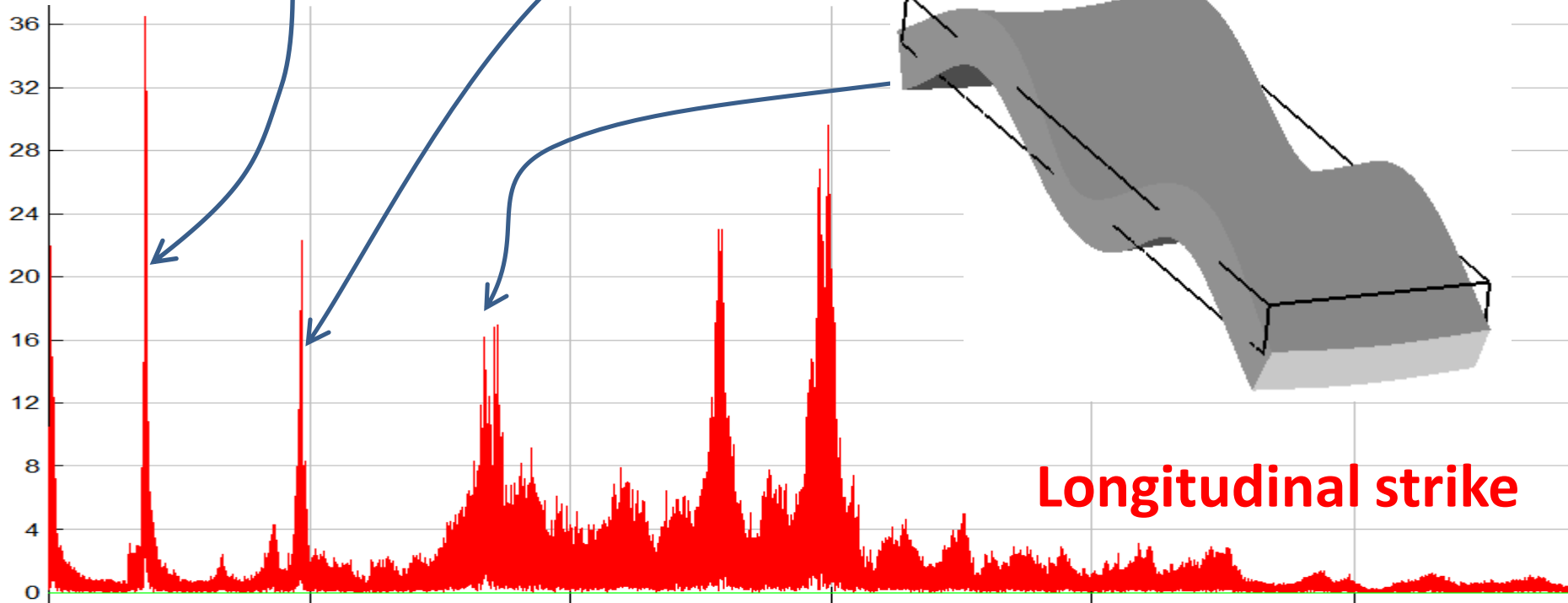
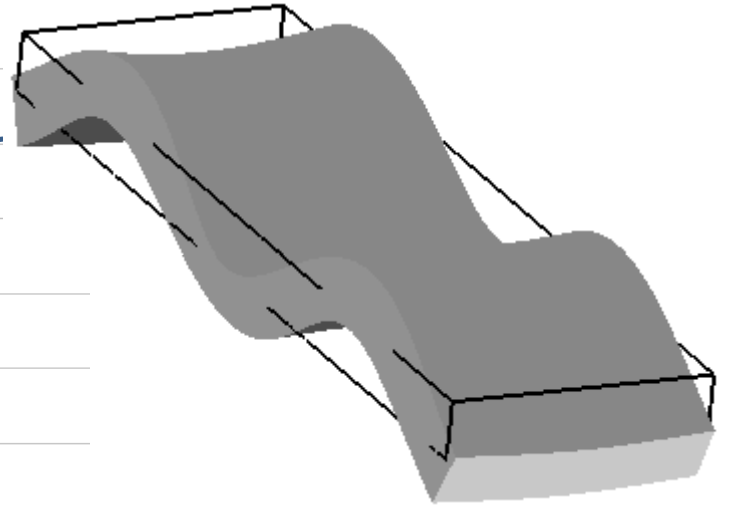
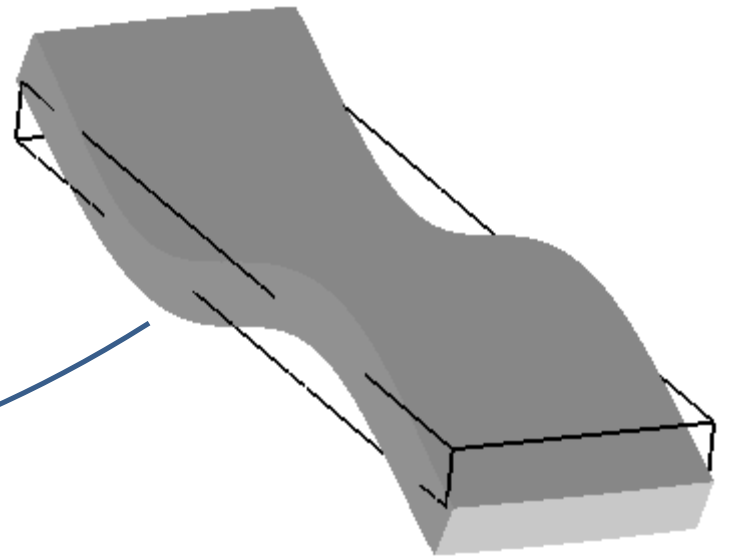
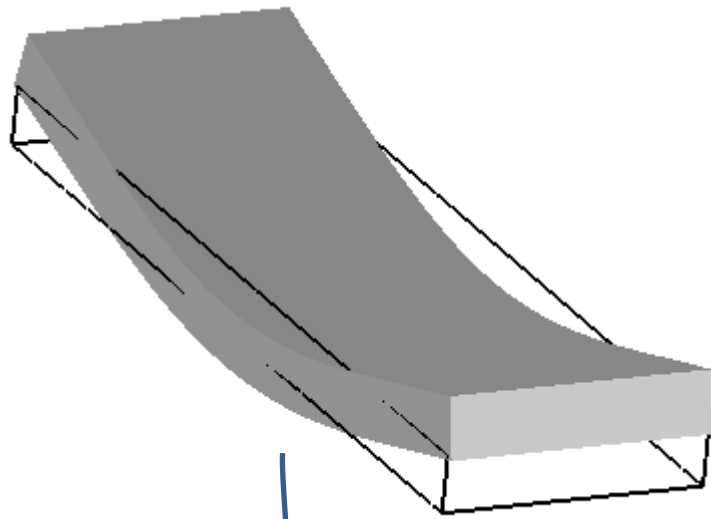


Torsional strike



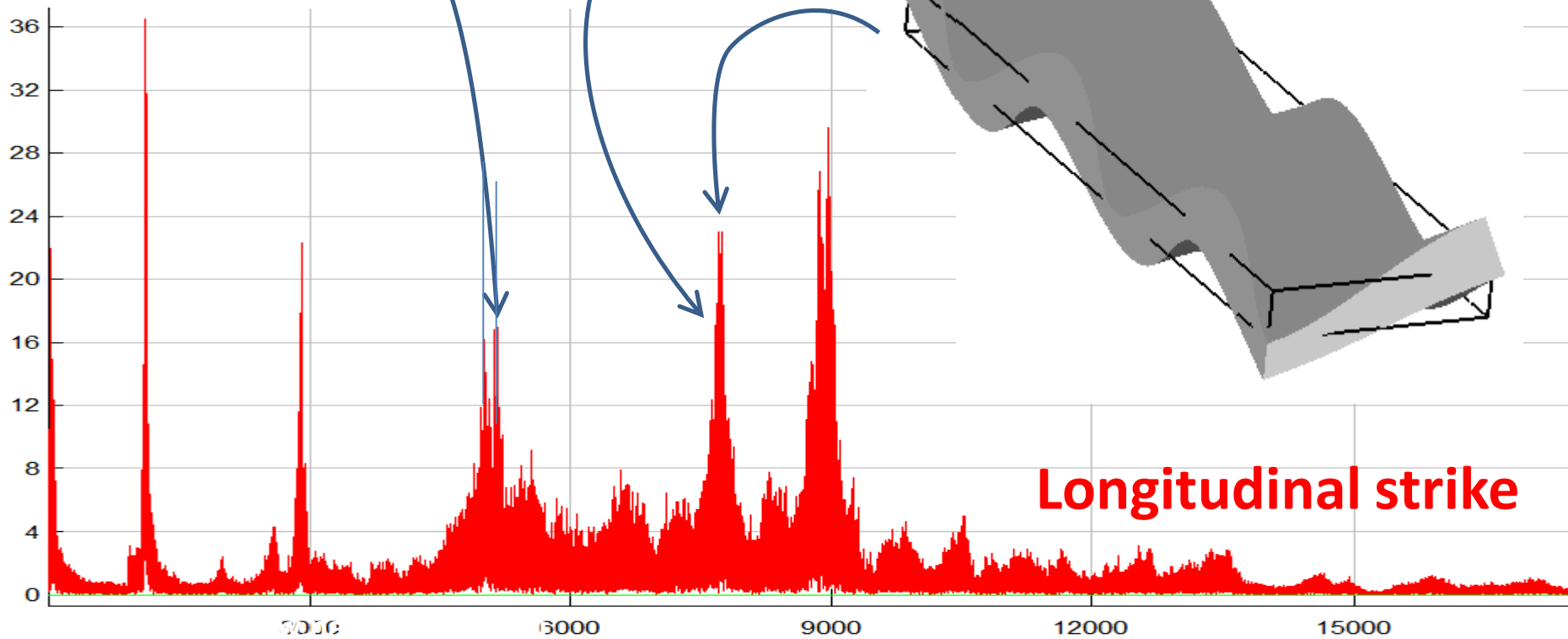
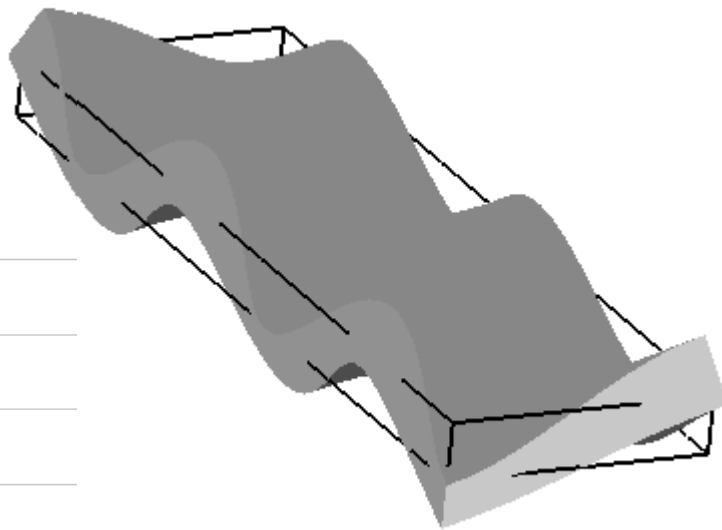
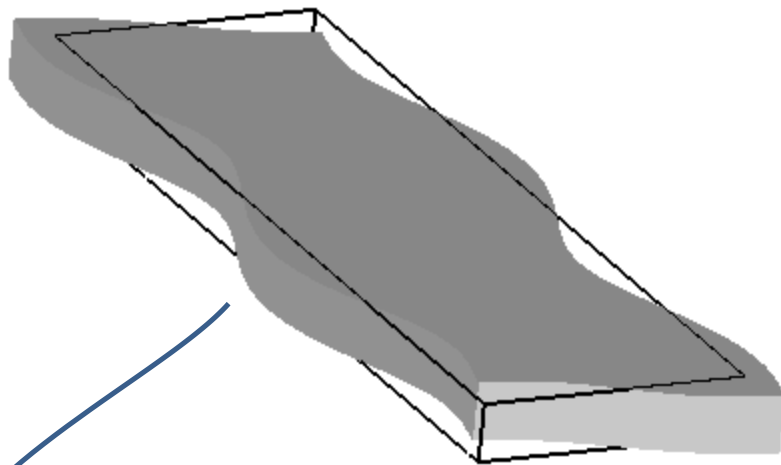
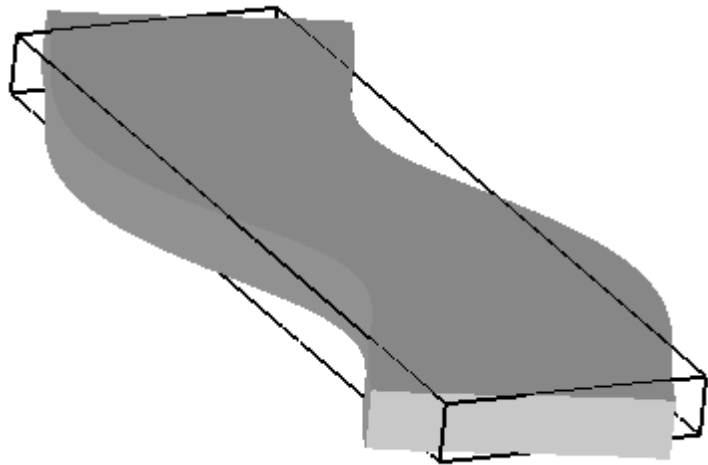
Longitudinal strike

Hz



Longitudinal strike

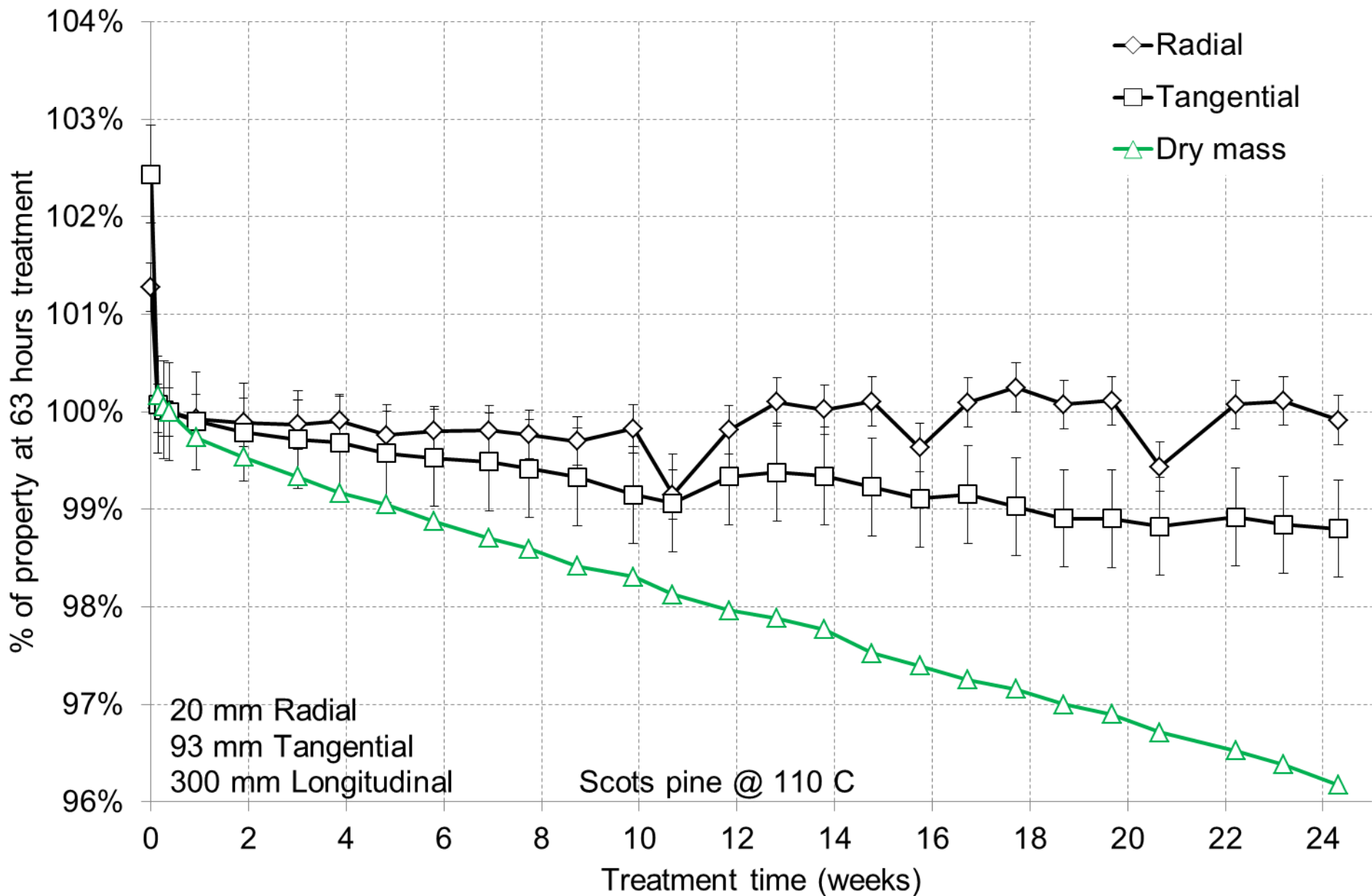
Hz

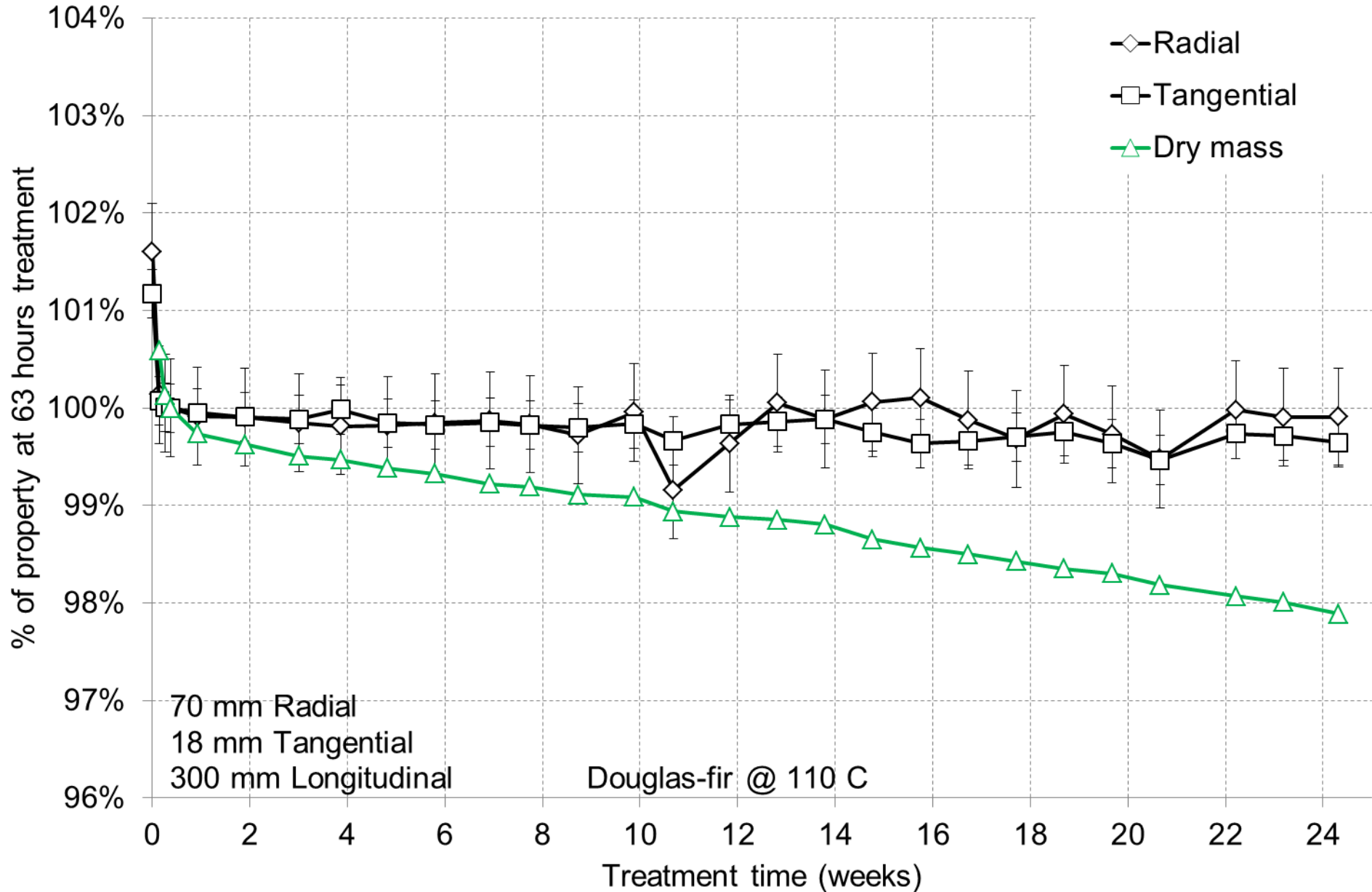


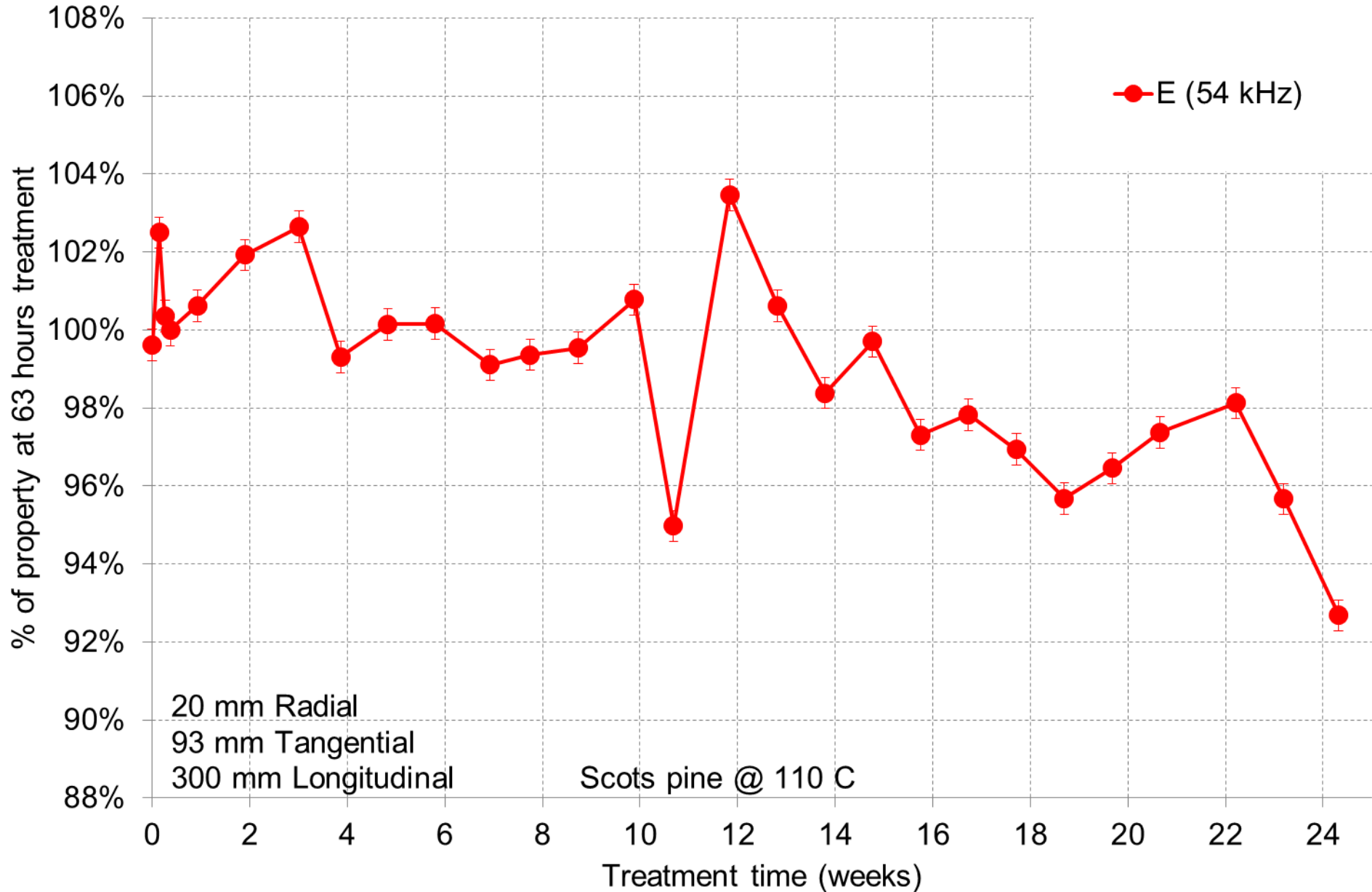
Longitudinal strike

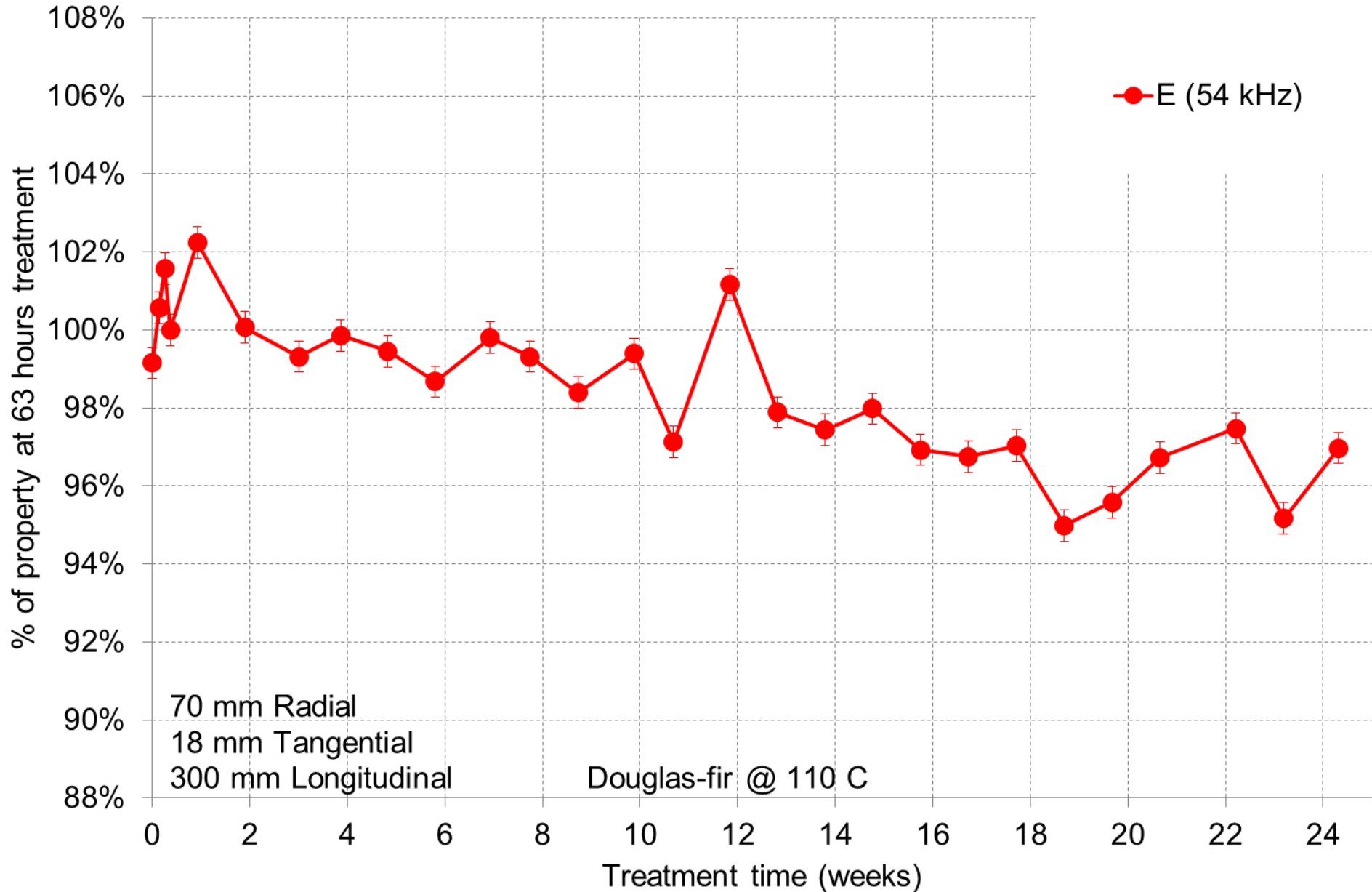
Hz

Scots pine

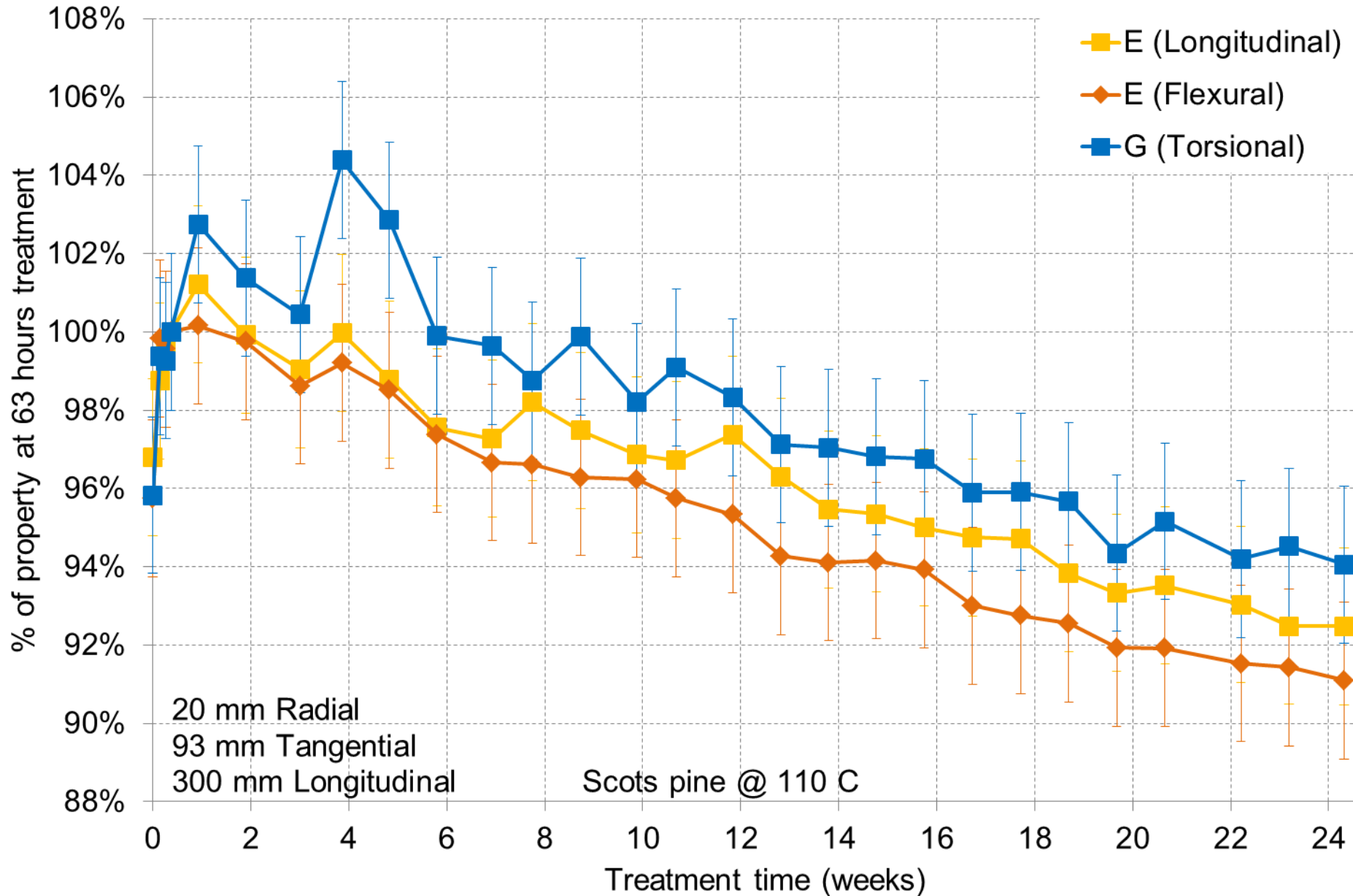


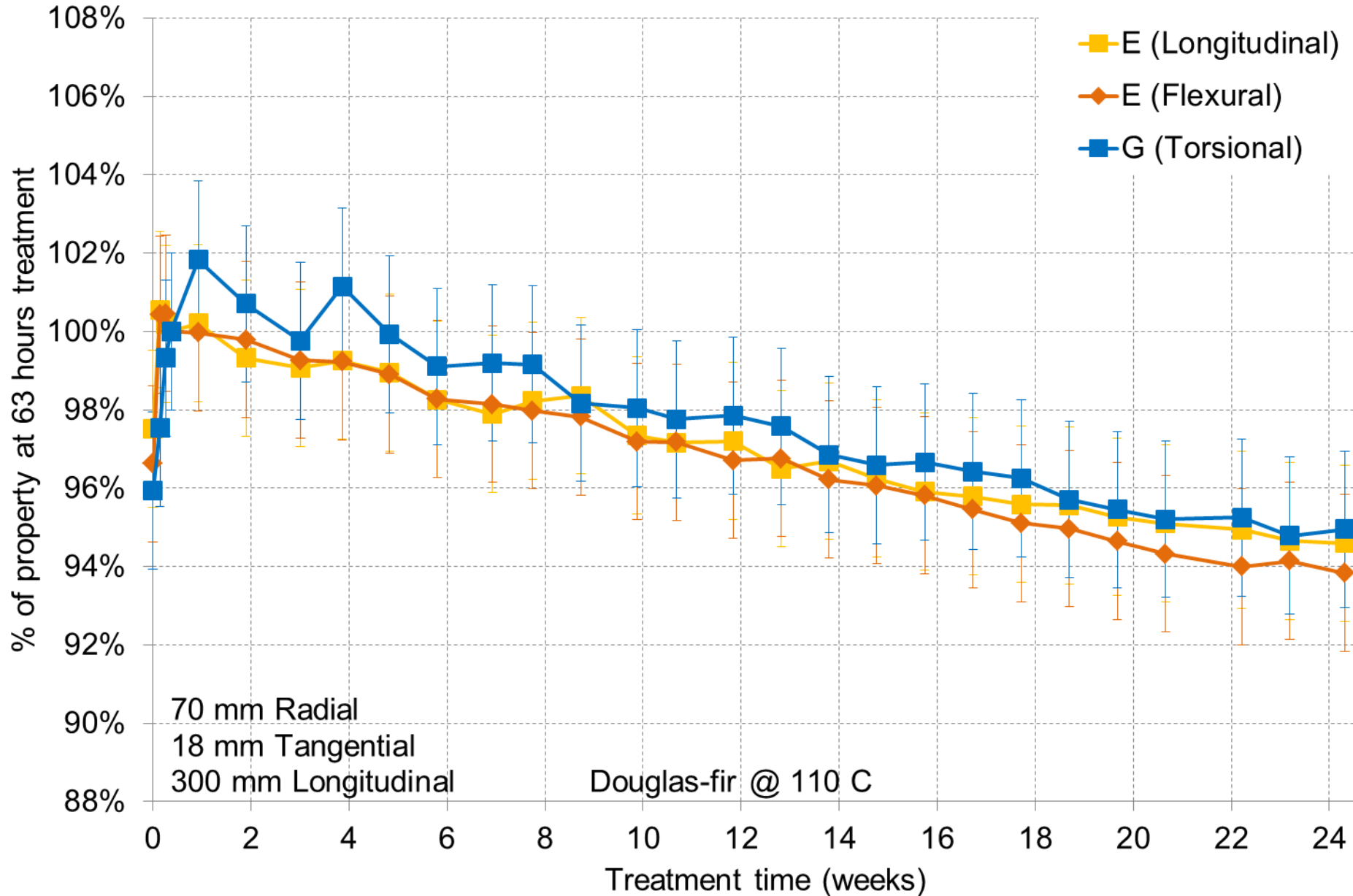


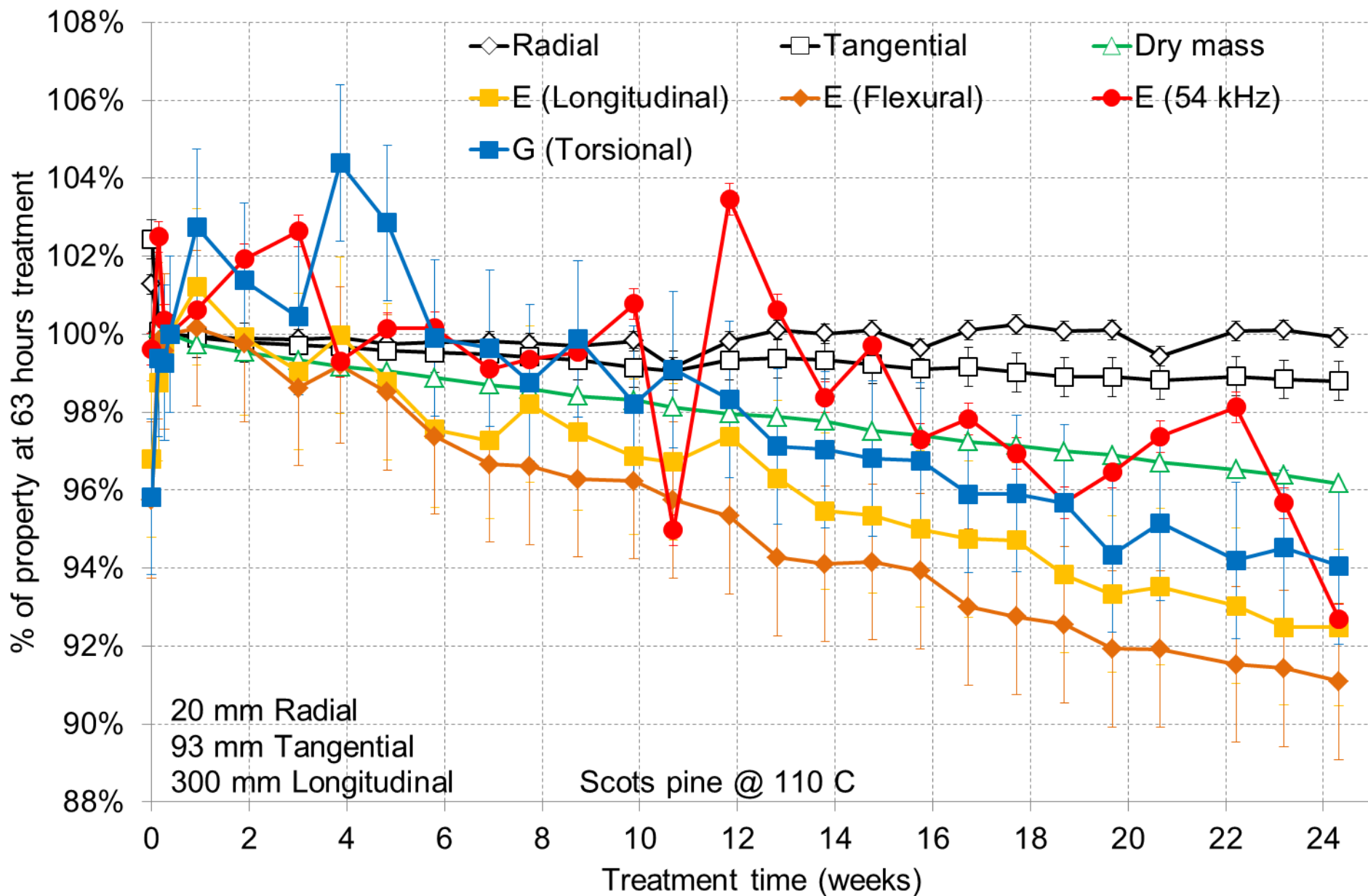


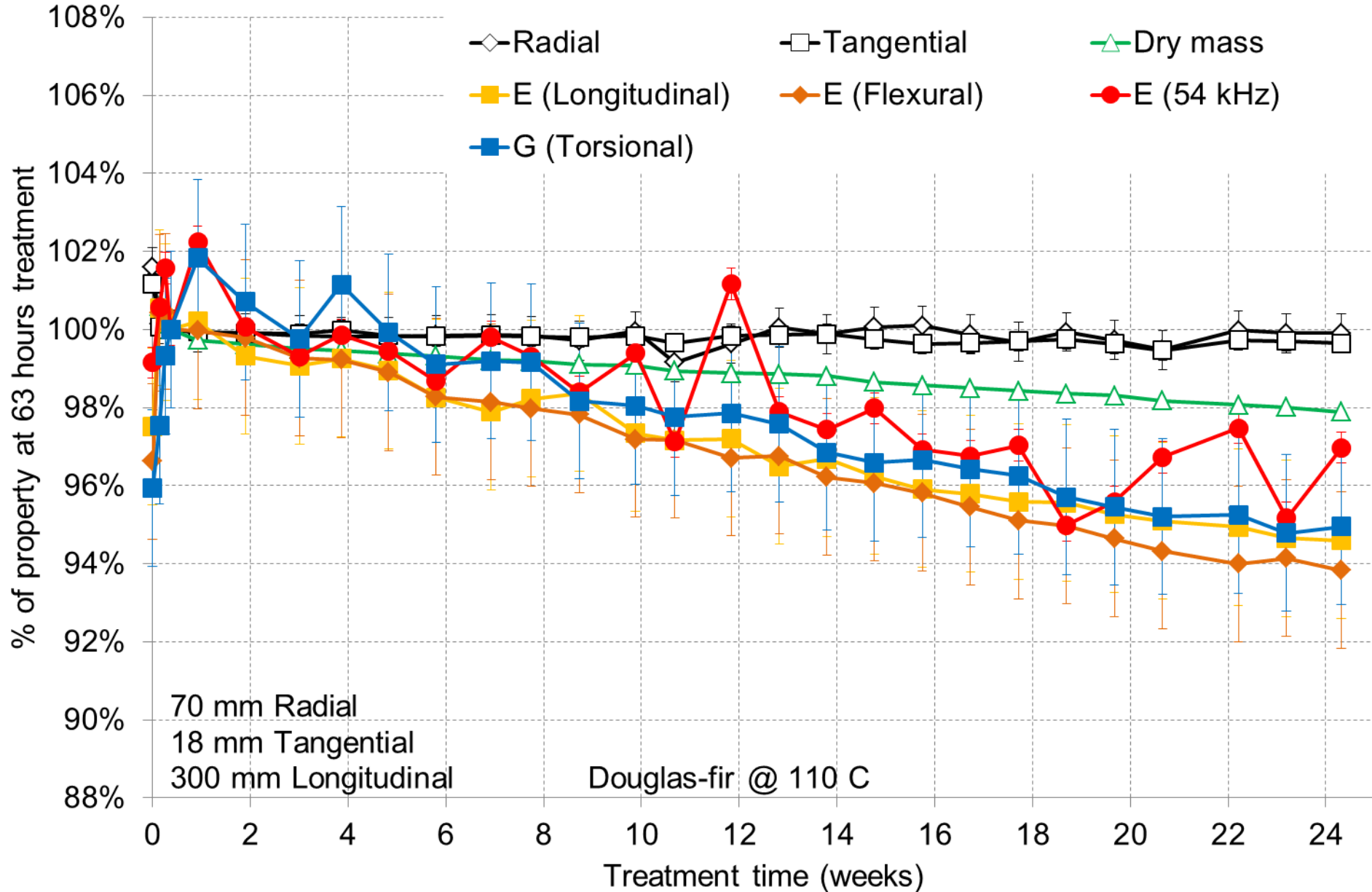


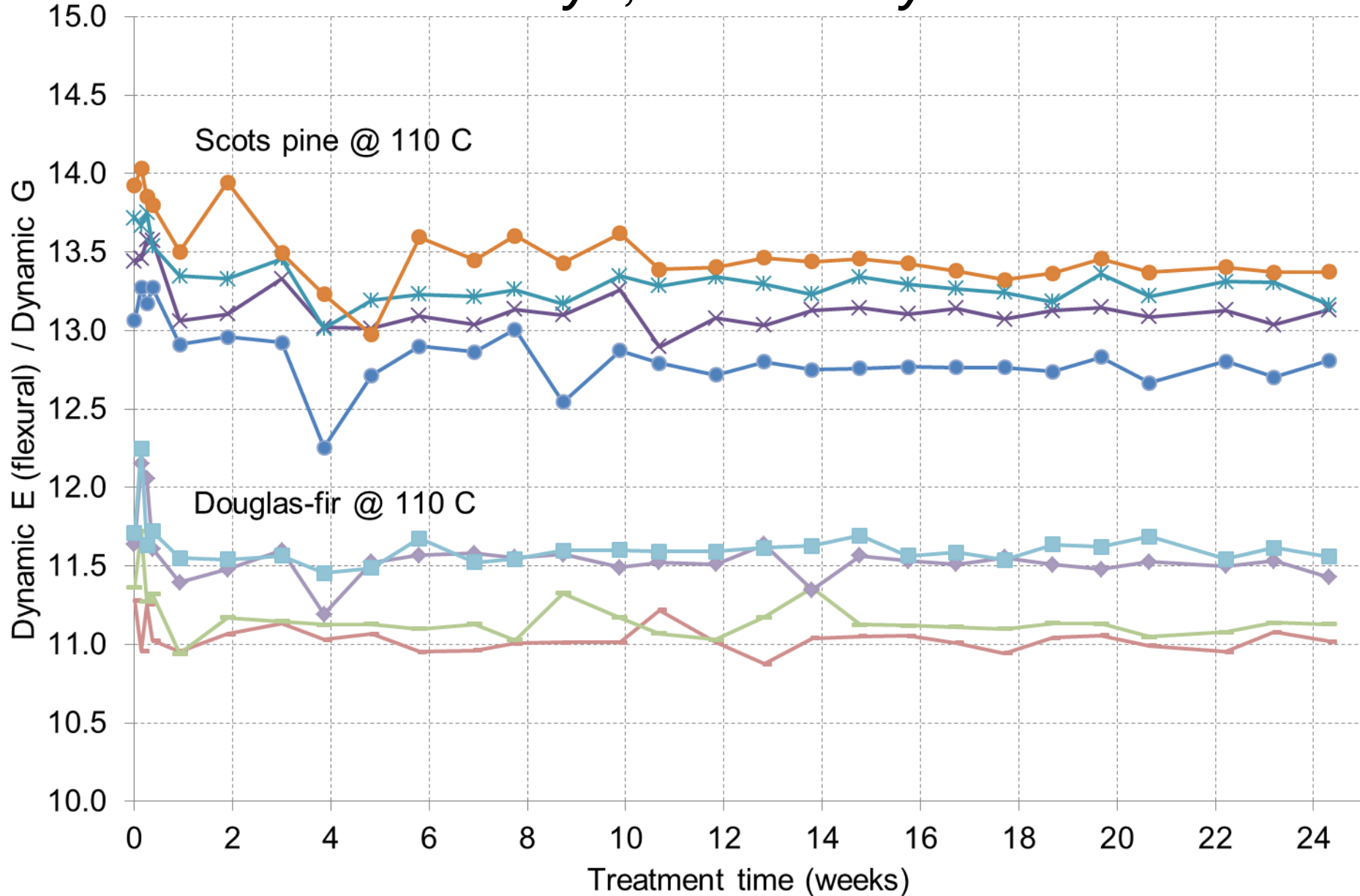
Scots pine











Summary

- Even at this relatively low temperature, the wood underwent thermal modification
- Losing mass ($\sim 0.02\%/day$ for Scots pine and $\sim 0.01\%/day$ for Douglas-fir)
- And stiffness ($\sim 0.05\%/day$ for Scots pine and $\sim 0.04\%/day$ for Douglas-fir).
- The change in E_{dyn} was similar to the change in G_{dyn} .

Summary

- The impulse excitation method is an effective and inexpensive way to track even small stiffness changes
- If the samples are the right size & shape
- But spectra can be hard to interpret
 - Repeated measurements
 - Finite element modelling
- Dimensions are the biggest source of error

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